



Σεμινάριο Γεωμετρίας

Universal Lie infinity- algebroid of a Lie Rinehart algebra and application to symmetries of a foliation

Ruben Louis Université de Lorraine

Περίληψη

1) I will make a short introduction of my first paper co-written with C. Laurent-Gengoux. It shows that there is an equivalence of categories between Lie-Rinehart algebras over a commutative algebra O and homotopy equivalence classes of negatively graded Lie infinity-algebroids over their resolutions. This extends to a purely algebraic setting the construction of the universal Q-manifold of a locally real analytic singular foliation. In particular, it makes sense for the universal Lie infinity-algebroid of every singular foliation, without any additional assumption, and for Androulidakis-Zambon singular Lie algebroids. Also, to any ideal $I \subset O$ preserved by the anchor map of a Lie-Rinehart algebra A, we associate a homotopy equivalence class of negatively graded Lie infinity-algebroids over complexes computing Tor^O(A, O/I).

2) Also, I will talk about symmetries of singular foliations: Using the previous results we show that it is always possible to lift any symmetry action of a Lie algebra g on a singular foliation F to a Lie infinity-morphism from g to vector fields on a universal Q-manifold over F. Beyond of the existence and uniqueness of this morphism, there is an explicit formula in term of the vector field Q (not necessarily a universal one). We deduce from this general result several geometric consequences. We can also build examples of action of Lie algebra on sub-affine space which cannot be extended to the ambient space.

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Π. Μπατακίδης, (+30) 2310-997965, batakidis@math.auth.gr Πληροφορίες: Φ. Πεταλίδου, (+30) 2310-998104, petalido@math.auth.gr Σύνδεσμος ομιλίας, Meeting ID: 949 3311 7785, Password: 093582